

| | | |
|---|--|---|
| <pre>Int fact(n) p80 { If (n==0) Return 1 Else Return n*fact(n-1) } ***** T(n)=c*n t(n)=O(n) ***** T(n)=T(n-1)+c =T(n-2) +c+c =T(n-3) +c+c+c =T(0) +c+c+...+c</pre> | <pre>Void tower(int n,pg a,pg b,pg c) p86 { If (n==1) Move top A to C Else{ Tower(n-1,A,C,B) Move top A to C Tower(n-1, B,A,C)} }</pre> $T(n) = \begin{cases} 1 & n = 1 \\ 2T(n - 1) + 1 & n > 1 \end{cases}$ $T(n) = 2^1 T(n-1) + 1$ $= 2^2 T(n-2) + 2 + 1$ $= 2^3 T(n-3) + 3 + 2 + 1$ \vdots $= 2^n - 1$ $T(n) = O(2^n)$ | <pre>Int rgcd(int a , int b) p78 { If (b==0) Return a; Else Return rgcd(a,a%b) }</pre> $O(\log_2 a)$ <pre>void quick_sort (int p, int q) p116 { int j; if (p>=q) return else { j= partition(p ,q+1); quick_sort(p,j-1); quick_sort(j+1,q);} }</pre> $T(n) = \begin{cases} 0 & n < 1 \\ T(n - 1) + C(n + 1) & n > 1 \end{cases}$ $T(n) = T(n-1) + C(n+1)$ $= T(n-2) + C(n+1) + C(n+1)$ $= T(n-3) + C(n-1) + C(n+1) + C(n+1)$ \vdots $= C(3+4+...+(n+1))$ $<= (C(n+1)(n+2))/2$ $T(n) = O(n^2)$ |
| <pre>int binsearch(int a[],int low,int hight,int x) p98 { int m; if (low>high) return -1; else { m=[(low+high)/2] if(x==a[m]) return m if(x>a[m]) return Binsearch(a,m+1, hight,x) else return Binsearch(a,low,m-1,x) } } T(n)=T(n/2)+c = T(n/4)+c+c = T(n/8)+c+c+c . . .=T(0)+c+c+...+c T(n)=clog₂ n=O(log₂ n)</pre> | | $T(n) = \begin{cases} 0 & n < 1 \\ T(n - 1) + C(n + 1) & n > 1 \end{cases}$ $T(n) = T(n-1) + C(n+1)$ $= T(n-2) + C(n+1) + C(n+1)$ $= T(n-3) + C(n-1) + C(n+1) + C(n+1)$ \vdots $= C(3+4+...+(n+1))$ $<= (C(n+1)(n+2))/2$ $T(n) = O(n^2)$ |
| <pre>void mergesort(int low,int high) p109 { int mid if(low<high){ mid=(low+high)/2 mergesort(low,mid) mergesort(mid+1, high) merg(low,mid,high)} }</pre> | $T(n) = \begin{cases} a & n = 1 \\ 2T(n/2) + cn & n > 1 \end{cases}$ $T(n) = 2T(n/2) + cn$ $T(n) = 2(2T(n/4) + cn/2) + cn$ $= 4T(n/4) + 2cn$ \vdots $= 2^k T(1) + cnk$ $= 2^k * a + cnk$ $T(n) = O(n \log n)$ | <pre>Float xton(float x ,int n) p124 { if(n==1) return x y=xton(x,n/2) if(n==n/2*2) return y*y else return y*y*x }</pre> $T(n) = \begin{cases} c & n = 1 \\ T(n/2) + 3 & n > 1 \end{cases}$ <p style="text-align: right;">binsearch همانند</p> $T(n) = O(\log n)$ <pre>long int lnmult(long int u,long int v,int n){ long int w,x,y,z int s if(n<=L) return u*v else{ s=n/2; w=u/2^s;x=u%2^s;y=v%2^s; z=v%2^s; return lnmult(w,y, [n/2]* 2^{2s}+(lnmult(w,z ,[n/2]) +lnmult (x,y, [n/2]))*2^s+lnmul(x ,y,n/2)) } } $T(n) = O(n^2)$ </pre> |